Notes 1.

Fiscal and Monetary Policy in a Model of an ECCB-type Fearny.

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Variable Names. Endogenos: FRM, Freigh reserves at mosetary attricty Lstock? NC, Notes and coin Stock] FRB, Freige reserves at commarcial banks [stock] 9, Government spending BD, Bank deposits [stock] M, Imports Y, GDP T, Tax revene PDY, Private disposelle income PF, Private Spanding Ms, Mney s-pply (M3) I stock] [slock] NCB Note and coin at commercial bouchs NC B

Eagenns: X, Eaponts

BLP Bank lending to private sector

[stock]

(Z)

Basic Model

1.	FRM = NC	FRM
2.	NCB + NCP ≡ NC .	lic
3.	NCB + BLP + FRB ≡ BD	FRB
4.	G = T	G
5.	MS = NCP + BD	. BD
6.	$X - M = \Delta FRM + \Delta FRB$	М
7.	$M = \mu * Y$	Y
8.	$T = \tau * Y$	T
9.	$PDY \equiv Y - T$	PDY
10.	$PE = \alpha*PDY + \Delta BLP + \beta*MS_{-1}$	PE
11.	$\Delta MS \equiv PDY + \Delta BLP - PE$	MS
12.	$NCP = \gamma * MS$	NCP
13.	$NCB = \delta *BD$	NCB

Endogenous Variables (13):

FRM, NC, FRB, G, BD, M, Y, T, PDY, PE, MS, NCP, NCB

Exogenous Variables (2):

X, BLP

One-Period Solution for Y

Y =
$$M/\mu$$
 from 7
= $(X - \Delta FRM - \Delta FRB)/\mu$ from 6
= $(X - \Delta NC - \Delta FRB)/\mu$ from 1
= $(X - (\Delta NCB + \Delta NCP) - \Delta FRB)/\mu$ from 2
= $(X - (\Delta BD - \Delta BLP + \Delta NCP))/\mu$ from 3
= $(X - \Delta MS + \Delta BLP)/\mu$ from 5
= $(X - (PDY + \Delta BLP - PE) + \Delta BLP)/\mu$ from 11
= $(X - PDY + (\alpha *PDY + \Delta BLP + \beta *MS_1))/\mu$ from 9
= $(X - (1-\alpha)*(Y - T) + \Delta BLP + \beta *MS_1))/\mu$ from 9
= $(X - (1-\alpha)*(1 - \tau)*Y + \Delta BLP + \beta *MS_1))/\mu$ from 8

 $Y = [X + \Delta BLP + \beta * MS_{-1}]/[\mu + (1 - \alpha) * (1 - \tau)]$

Stationary State Solution for Y

 $MS = MS_{-1}$

Assumption

PDY +
$$\Delta$$
BLP - PE = 0 from 11
PDY + Δ BLP - (α *PDY + Δ BLP + β *MS) = 0 from 10
(1 - α)*(Y - T) + β *MS = 0 from 9
(1 - α)*(1 - τ)*Y + β *MS = 0 from 8

$$MS = [(1 - \alpha)*(1 - \tau)*Y]/\beta$$

$$[\mu + (1-\alpha)*(1-\tau)]*Y = X + \Delta BLP + \beta*MS$$

$$[\mu + (1-\alpha)*(1-\tau)]*Y = X + \Delta BLP + \beta*\{[(1-\alpha)*(1-\tau)*Y]/\beta\}$$

$$\mu*Y = X + \Delta BLP$$

$$\Delta BLP = 0$$

Assumption

 $Y = X/\mu$

Alternative Sources of Finance for the Government Three Variants

- a. Finance from the commercial banks, BLG
- b. Finance from the monetary authority, MLG
- c. Finance from abroad, FLG

Each of these sources of finance is treated as exogenous and the consequential amendments to the model equations are as follows:

- a. BLG is added to the banks' balance sheet (equation 3) and to the government's budget identity (equation 4).
- b. MLG is added to the monetary authority's balance sheet (equation 1) and to the government's budget identity (equation 4).
- c. FLG is added to the balance of payments identity (equation 6) and to the government's budget identity (equation 4).

One-Period Solution for Y

The effect of government borrowing on the one-period solution for Y is exactly the same in all three cases, if we write LG to represent all three then it becomes,

$$Y = [X + \Delta BLP + \Delta LG + \beta * MS_1]/[\mu + (1 - \alpha) * (1 - 1)]$$

So an increase in government borrowing has an effect on income which exactly parallels the effect of bank lending to the private sector (BLP). The increase in income will, of course, lead to a balance of payments deficit with an associated loss in foreign reserves. This much is common to all three cases. As far as the private sector aggregates are concerned, too, the pattern of adjustment is unaffected by the source of government finance. Disposable income, spending, asset accumulation and the associated asset stocks, all rise and then fall back to their initial stationary values. So, for example, the money supply, bank deposits and private holdings of cash are the same in all three cases. So we know that the sum of domestic credit and foreign reserves will be the same too. What differs then is the composition of both domestic credit and the stock of foreign reserves.